

Scientific Notation

Numbers - decimal

187.650
↑↑↑↑↑

127 000 000 000.
↑

285 = 2.85 × 10²

1.27 × 10¹¹

6.02 × 10²³

0.000895

602 000 000²¹

8.95 × 10⁻⁴

8.95 × 10⁻⁷

~~~~~ × 10<sup>-3</sup>

10<sup>2</sup>

0.000000895

p. 59 #20 (d)

1.45 × 10<sup>-5</sup> × 252.10 =

2-N

2 × 14.01 = 28.02

8-H

8 × 1.01 = 8.08

2-Cr

2 × 52.00 = 104.00

7-O

7 × 16.00 = 112.00

252.10

1.45 × 10<sup>-5</sup> × 2.521 × 10<sup>2</sup>

1.45 × 2.521

10<sup>-5</sup> × 10<sup>2</sup>

3.65545 × 10<sup>-3</sup>

## Stoichiometry

Recipe - Analogy

- Double
- Reduce

Example -



1 molecule  $\text{CH}_4$  combines with 2 molecules  $\text{O}_2$

1 molecule  $\text{CH}_4$  produces 1 molecule  $\text{CO}_2$   
and 2 molecules  $\text{H}_2\text{O}$

1 : 2 : 1 : 2

Example -

How many molecules of  $\text{CH}_4$  combine  
with 20 molec. of  $\text{O}_2$ ?

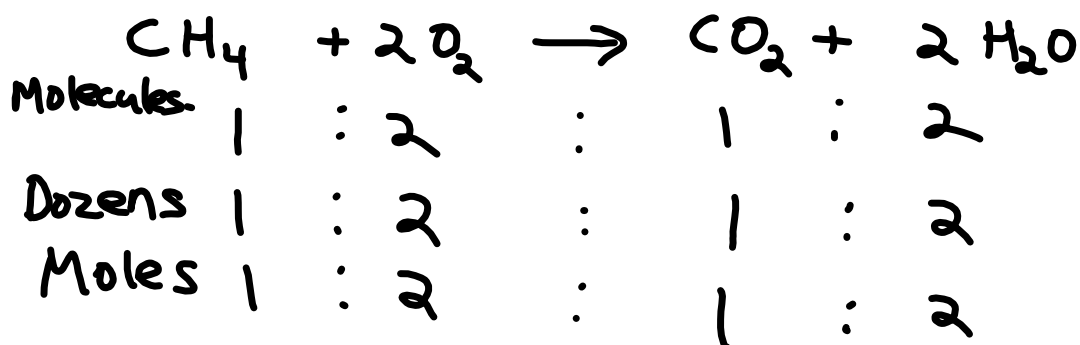
$$20 \text{ molec. } \cancel{\text{O}_2} \times \frac{1 \text{ molec. CH}_4}{2 \cancel{\text{ molec. O}_2}} = \underline{10} \text{ molecules CH}_4$$

balanced equation →

Read p.110-117  
Questions p.114  
#1 (a-c)

## Mole ----> Mole Stoichiometry

Recall-



Example-

How many moles of  $\text{H}_2\text{O}$  are produced when 3.6 moles of  $\text{CH}_4$  react?

$$3.6 \text{ moles } \cancel{\text{CH}_4} \times \frac{2 \text{ mol H}_2\text{O}}{1 \text{ mol } \cancel{\text{CH}_4}} = 7.2 \text{ moles of H}_2\text{O}$$

Example-

How many moles  $\text{CH}_4$  react with 0.53 mol  $\text{O}_2$

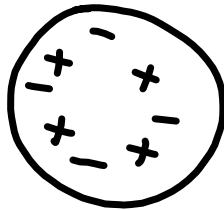
$$0.53 \text{ mol } \cancel{\text{O}_2} \times \frac{1 \text{ mol CH}_4}{2 \text{ mol } \cancel{\text{O}_2}} = 0.265 \text{ mol CH}_4$$

Questions-

p.115 #4-6  
(choose)

## Models of the Atom-History

1. Greek → philosophy → atomos  
(uncut)
2. Dalton/Thomson



3. Rutherford - gold foil experiment

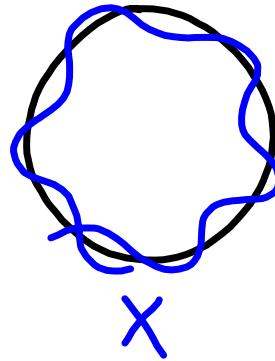
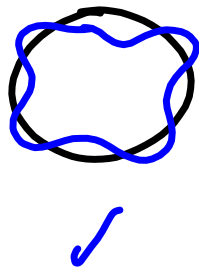
- nucleus - most of mass and positive charge
- most of the atom is empty.

4. Bohr

- based on H atom
- electrons orbit nucleus
- evidence: coloured bands of light

## Quantum Mechanical Atom

### 1. Wave mechanical model.



Quantum Mechanical-

- Electrons only have certain amounts of Energy ( $E$ )

Heisenberg - uncertainty of  $e^-$  position/speed